

Global Stabilization for the BBM-KP equations on $\mathbb{R}^2$

Victor Hugo Gonzalez Martinez

Federal University of Pernambuco

In this talk, we present new results on the asymptotic behavior of the energy for the Ben-jamín-Bona-Mahony-Kadomtsev-Petviashvili (BBM-KP) equations (I and II) posed on the twodimensional plane $\mathbb{R}^2$, with localized damping. The BBM-KP equations, which model wave propagation in fluid dynamics, are studied in the context of energy dissipation. This model provides an alternative to the classical Kadomtsev-Petviashvili (KP) equations, similar to the way the regularized long-wave (RLW) equation offers an alternative to the Korteweg-de Vries (KdV) equation. We analyze the asymptotic behavior of the total energy associated with the Cauchy problem for the BBM-KP equations under the influence of localized damping. Our main result shows that, in the presence of localized dissipation applied to a subdomain of the spatial domain, the energy tends to a steady state as time progresses. Specifically, we investigate the rate at which the energy approaches this asymptotic state, providing insights into the long-term dynamics of the solutions. Work in collaboration with F. A. Gallego (Universidad Nacional de Colombia (UNAL), Colombia) and J.C Muñoz (Universidad del Valle, Colombia)

In Special Session 19 on Nonlinear Evolution Equations: Trends in Control Theory and Related Topics at the Mathematical Congress of the Americas 2025.